

Improving passenger robustness by taking passenger numbers and recurring delays explicitly into account on the tactical level



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Objective

Improving **passenger robustness**



Short travel times

Reliability

Minimizing total weighted real travel time of all passengers in case of frequently occurring small delays

Framework

We focus on

the tactical level:
timetable – routing plan – platform assignment

busy railway station areas

small daily delays

Approach

Optimization algorithm

strives to maximize
the sum of the minimal buffer times
between all trains in a fixed time window

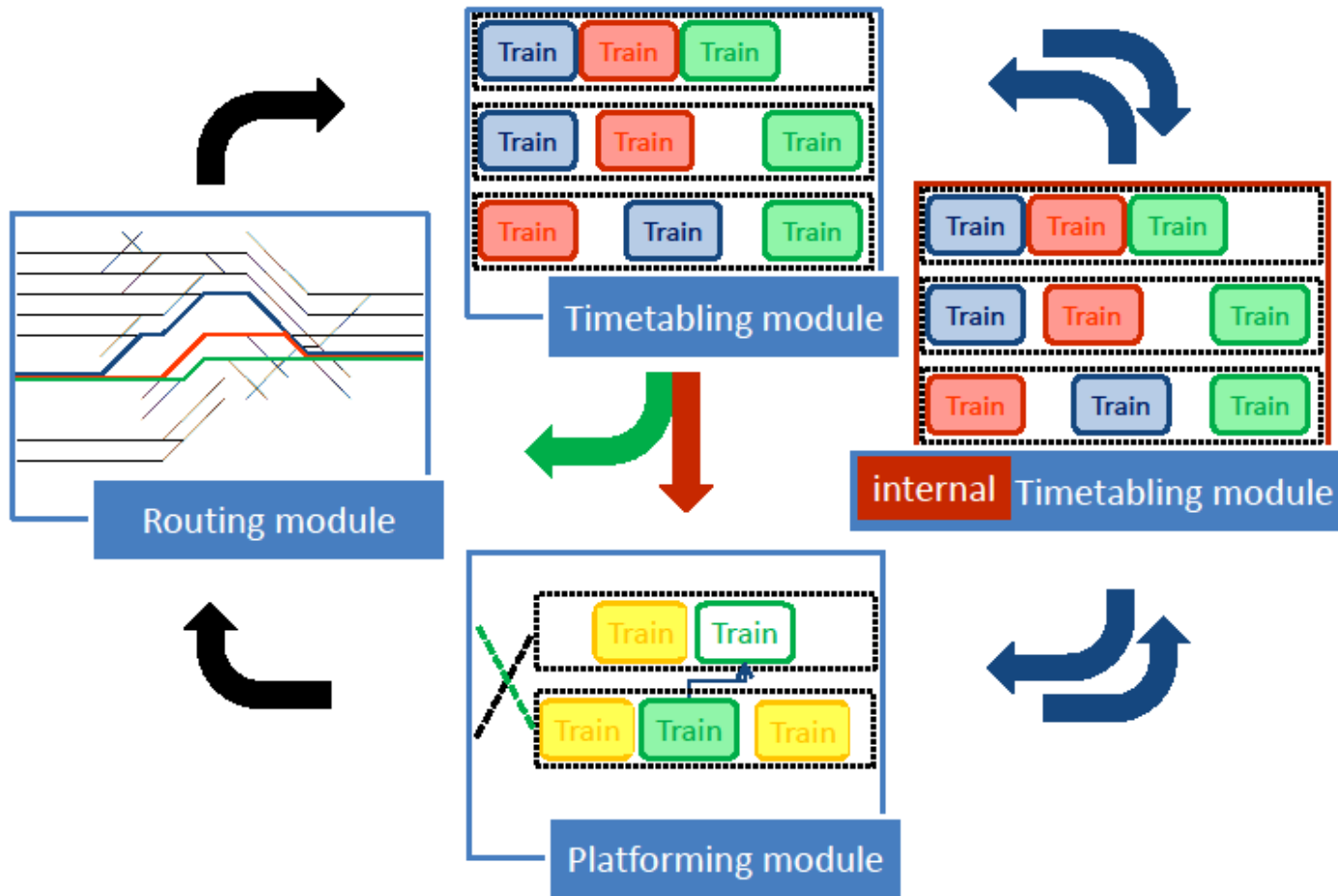


indirectly improves passenger robustness
of an existing timetable

Simulation

directly evaluates passenger robustness

Optimization algorithm



Optimization algorithm

Routing module

exact: based on a **NPP**

$$\min \sum_{(t,r) \in T \times R_t; (t',r') \in T \times R_{t'}} \frac{1}{B_{(t,r),(t',r')}} x_{(t,r)} x_{(t',r')}$$

$$\sum_{r \in R_t} x_{(t,r)} = 1 \quad \forall t \in T$$

$$x_{(t,r)} + \sum_{r' \in R_{t'}^c} x_{(t',r')} \leq 1 \quad \forall (t,r) \in T \times R_t, t' \in T \setminus \{t\}$$

$$x_{(t,r)} \in \{0,1\} \quad \forall (t,r) \in T \times R_t$$

Optimization algorithm

Routing module

exact: based on a NPP

Timetabling module

local search heuristic (tabu search):
shift – combined shift - swap

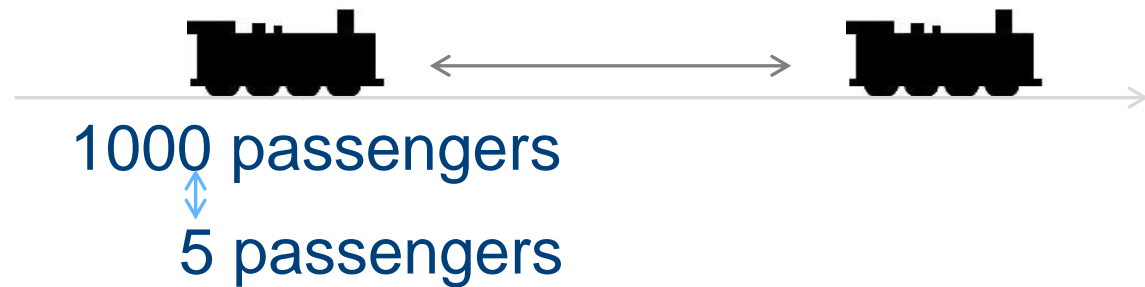
Platforming module

local search heuristic (tabu search):
platform change

Interaction between modules

Some buffer times are more important than others

Passenger numbers



Recurring delays



Weighted buffer times

Passenger numbers (absolute)

number of passengers that are
on the second train or
will board on the second train
after the place of the shortest buffer time

$$\min \sum_{(t,r) \in T \times R_t; (t',r') \in T \times R_{t'}} \frac{N}{B_{(t,r),(t',r')}} x_{(t,r)} x_{(t',r')}$$

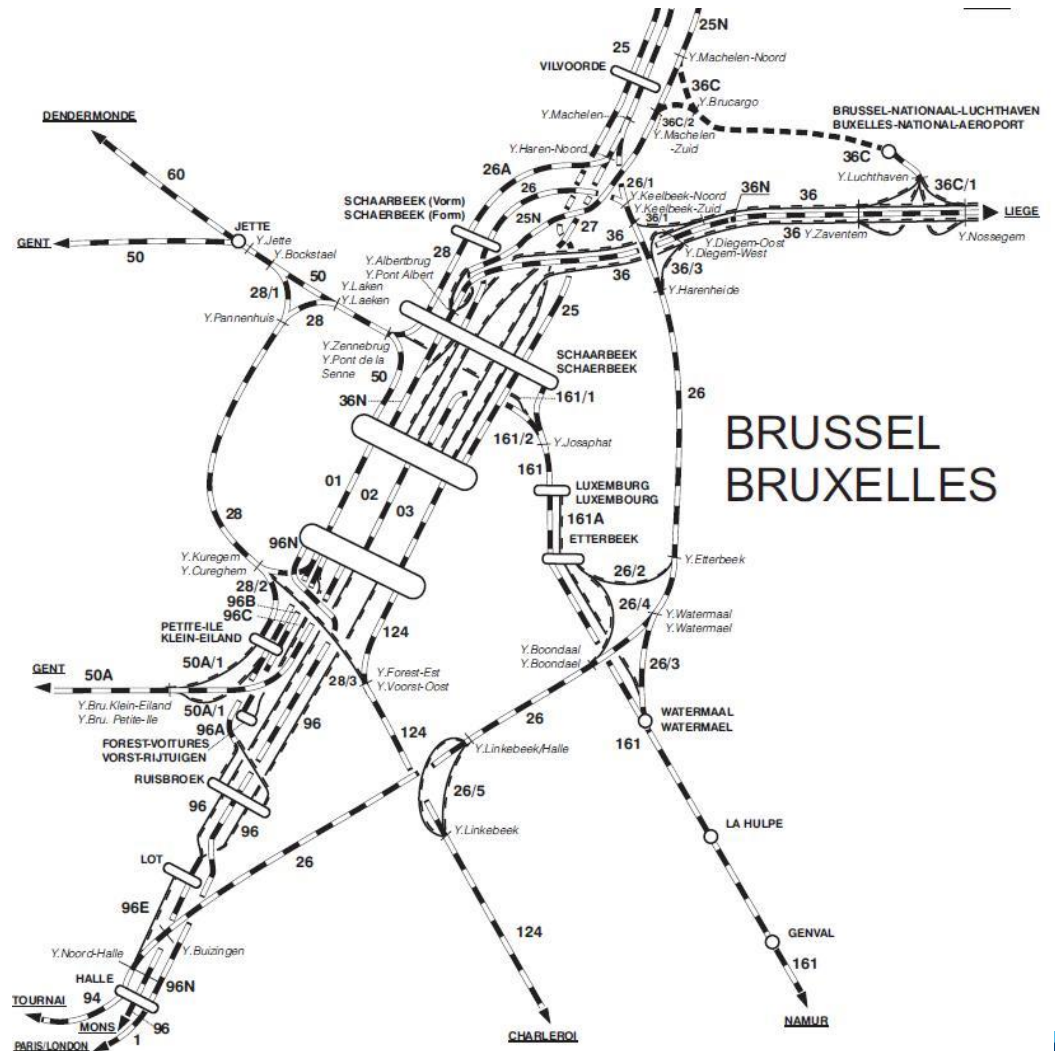
Weighted buffer times

Recurring delays (relative)

the ratio of
the planned and expected buffer time

$$\min \sum_{(t,r) \in T \times R_t; (t',r') \in T \times R_{t'}} \frac{B_{(t,r),(t',r')}}{B_{(t,r),(t',r')}^{expected}} \frac{1}{B_{(t,r),(t',r')}} x_{(t,r)} x_{(t',r')}$$

Case study



Results

Timetable	Ref	No weights	P	D	P · D
Passenger robustness	$4.15 \cdot 10^6$	$3.84 \cdot 10^6$	$3.77 \cdot 10^6$	$3.72 \cdot 10^6$	$3.68 \cdot 10^6$
% <i>improvement</i>		7.47%	9.16%	10.36%	11.33%
Total knock-on delay per hour for all trains (minutes)	211.53	145.31	142.17	136.38	138.40
% <i>improvement</i>		31.30%	32.79%	35.53%	34.57%
Percentage extra delayed trains	47.71%	37.36%	38.53%	36.98%	37.66%

Conclusion

We further improve passenger robustness up to 11% by taking passenger numbers and recurring delays explicitly into account on the tactical level

Future research

More delay scenarios (dwell delays)
Taking transferring passengers into account
Constructing a timetable and routing plan from scratch

